$a+b+\ldots+\dot{s}+\ldots$

$x \doteq y$

$\$100.00\ \alpha\_$

$\frac{\$100.00}{y}$

xy

$x+y\ x=y\ x<y\ x:y\ x,y\ x@y$

$100\%y\ x*y\ x/yx\$y$

$x \leftarrow y\ x\forall y\ x-y$

$xx\mathbf{x}\mathcal{X}\mathrm{x}$

$x\ x\ x\ \ x\quad\ x\qquad\ x\mathbf{x}\ y$

$\{\mathrm{braces}\}$

$\left[\left[\frac{5}{\binom{3}{4}}y\right)\right]$

(x)

$\sin(x)$

x_2

x^2

x_y^2

x_y^2

$\prod_{i=\alpha_{i+1}}^{\infty}$

$x=\frac{x+\frac{5}{2}}{\frac{y+3}{8}}$

$dz/dt=\gamma x^2\ +\sin(2\pi y+\phi)$

Foo: $\alpha_{i+1}^{j}=\sin(2\pi f_j t_i)e^{-5t_i/\tau}$

$\mathcal{R}\prod_{i=\alpha_{i+1}}^{\infty}a_i\sin(2\pi f x_i)$

Variable i is good

Δ_i^j

Δ_{i+1}^j

$\ddot{o}\acute{e}\grave{e}\hat{O}\check{\imath}\tilde{n}\vec{q}$

$\arccos((x^i))$

$\gamma=\frac{x=\frac{6}{8}}{y}\delta$

$\limsup_{x\to\infty}$

$\oint_0^\infty$

$\dot{f}$

$\frac{x_2 888}{y}$

$\sqrt[3]{\frac{X_2}{Y}}=5$

$\sqrt[5]{\frac{\frac{x}{2\pi^2}}{\prod_{\infty}}}$

$\sqrt[3]{x}=5$

$\frac{X}{\frac{X}{Y}}$

$W_{\delta_1\rho_1\sigma_2}^{3\beta}=U_{\delta_1\rho_1}^{3\beta}+\frac{1}{8\pi 2}\int_{\alpha_2}^{\alpha_2}d\alpha_2^{'}\left[\frac{U_{\delta_1\rho_1}^{2\beta}-\alpha_2^{'}U_{\rho_1\sigma_2}^{1\beta}}{U_{\rho_1\sigma_2}^{0\beta}}\right]$

$\mathcal{H}=\int d\tau\left(\varepsilon E^2+\mu H^2\right)$

$\widetilde{abcdef}$

$\Gamma\Delta\Theta\Lambda\Xi\Pi\Sigma\Upsilon\Phi\Psi\Omega$

$\alpha\beta\gamma\delta\varepsilon\zeta\eta\theta\iota\lambda\mu\nu\xi\pi\kappa\rho\sigma\tau\upsilon\phi\chi\psi$

$x^2\,y^2$

${}_2F_3$

$\frac{x+y^2}{k+1}$

$x+y^{\frac{2}{k+1}}$

$\frac{a}{b/2}$

$a_0+\frac{1}{a_1+\frac{1}{a_2+\frac{1}{a_3+\frac{1}{a_4}}}}$

$a_0+\frac{1}{a_1+\frac{1}{a_2+\frac{1}{a_3+\frac{1}{a_4}}}}$

$\binom{n}{k/2}$

$\binom{p}{2}x^2\,y^{p-2}-\frac{1}{1-x}\frac{1}{1-x^2}$

x^{2y}

$\sum_{i=1}^{p}\sum_{j=1}^{q}\sum_{k=1}^{r}a_{ij}b_{jk}c_{ki}$

$\sqrt{1+\sqrt{1+\sqrt{1+\sqrt{1+\sqrt{1+\sqrt{1+x}}}}}}$

$\left(\frac{\partial^2}{\partial x^2}+\frac{\partial^2}{\partial y^2}\right)|\varphi(x+iy)|^2=0$

$2^{2^{2^x}}$

$\int_1^x\frac{\mathrm{dt}}{t}$

$\iint_D\mathrm{dxdy}$

y_{x^2}

y_{x_2}

$x_{92}^{31415}+\pi$

$x_{y_b^a}^{z_c^d}$

$y_3^{'''}$

$(\xi(1-\xi))$